

# BACCALAURÉAT-Session 2015

## Epreuve de Discipline Non Linguistique

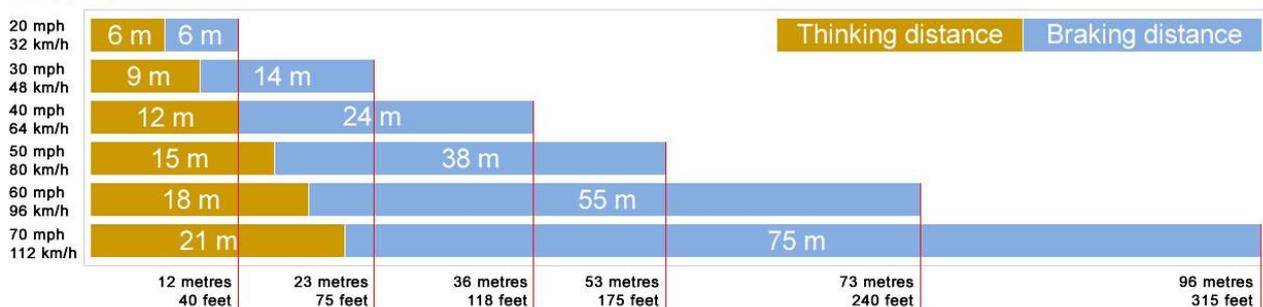
### Mathématiques/Anglais

#### Stopping distances for cars

Stopping distances for cars when driving is a calculation based on the drivers reaction distance; the distance the car has travelled before the driver reacts to a hazard and the braking distance, which is how long the car takes to stop once the brakes have been applied.

The stopping distance graph below gives a visual representation of the increase in braking distance the faster a vehicle travels. Yet it should be pointed out that both the reacting distance and braking distance can be affected depending on various circumstances. For example, if the driver is using a phone, his reaction time increases by 50%.

#### Stopping distances



According to: [Bad driving : what are we thinking ?, The Guardian, August 2013](http://www.drivingtesttips.biz/stopping-distances.html)  
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To calculate these distances, the following facts are used:

Based on the results of many studies, 2.5 seconds has been chosen for a reaction time.

The braking distance  $d$  is calculated by :

$$d = \frac{0.039v^2}{6.8} \text{ (using the Metric system)} \text{ or } d = \frac{1.075v^2}{22.4} \text{ (using the US Customary)}$$

where :  $v$  is the travelling speed of the car ( $km/h$  or  $mph$  depending on the Unit System)

$d$  is the braking distance ( $m$  or  $ft$ )

Source: [Stopping sight distance, Wikipedia](#)

#### Questions

- 1) Make a short presentation of the documents.
- 2) A car is travelling at  $100 \text{ km} \cdot \text{h}^{-1}$  when the driver sees something that requires rapid braking.
  - a. Convert  $100 \text{ km} \cdot \text{h}^{-1}$  in  $mph$ .
  - b. Find the total distance (in metres) travelled by the car from the moment the driver first sees the problem until the car stops.
- 3) We consider a driver travelling at 30 mph. Compare the reaction distances of this driver while he is using a phone and while he is not.
- 4)
  - a. Show that a 10% increase in the speed causes a 21% increase in the braking distance.
  - b. Show that a  $t\%$  increase in the speed causes a  $\left(2t + \frac{t^2}{100}\right)\%$  increase in the braking distance.
- 5) What phenomena can affect overall stopping distances? Do you have any suggestions to improve road safety?